Math 300: Writing in Mathematics

> John T. Baldwin

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John T. Baldwin

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LOGISTICS

Math 300: Writing in Mathematics

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Assignments will be on the web.

There will be 3 essays (2 drafts of each and outline of 2nd two) and various short writing assignments. Some will be in class and some for homework.

Two types of plagiarism

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> > Plagiarism of the word: direct unattributed use of another's exact expression.

Plagiagrism of the mind: direct unattributed use of another's ideas.

The McMahon Article

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> > Discuss: Who stole what from who!

Person

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> > What does first, second third person mean? Why is this distinction important for writing?

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http://owl.english.purdue.edu/handouts/grammar/g_
commacomp.html

Correct Compound Sentences: Comma

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Use a comma after the first independent clause when you link two independent clauses with one of the following coordinating conjunctions: and, but, for, or, nor, so, yet. For example:

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Correct Compound Sentences: Semicolon

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Derivation of Compound Interest formula

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1 period: A = P(1+i)

2 periods: A = [P(1+i)](1+i)

3 periods: A = [P(1+i)(1+i)](1+i)

n periods: A = P(1+i)^n
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Continuous Compounding

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> > Let i be the annual interest rate and n be the number of compounding periods per year. The amount after t years is:

$$A = P(1 + \frac{i}{n})^{nt} = P((1 + \frac{i}{n})^n)^t$$

We want to know what happens as n tends to infinity.

What $\lim_{n\to\infty} (1+\frac{i}{n})^n$?

Answer: e^{i} .

Fundamental Theorem of Calculus

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> > lf

$$F(x) = \int_1^x f(t)dt$$

then

$$F'(x) = f(x).$$

Calculating the Limit

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> > This is too technical for the papers you are writing.

Definition $\ln x = \int_1^x \frac{1}{t} dt$.

By the fundamental theorem of calculus

Fact
$$\ln x = \frac{1}{x}$$

So
$$ln'(1) = 1$$
.

But by the definition of derivative:

$$1 = \ln'(1)$$

$$= \lim_{n \to \infty} \frac{\ln(1 + \frac{1}{n}) - \ln 1}{\frac{1}{n}}$$

$$= \lim_{n \to \infty} n(\ln(1 + \frac{1}{n}))$$

$$= \lim_{n \to \infty} \ln((1 + \frac{1}{n})^n)$$

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So $1 = \ln \lim_{n \to \infty} ((1 + \frac{1}{n})^n)$ and therefore $e^1 = \lim_{n \to \infty} ((1 + \frac{1}{n})^n)$. Note that if we replace 1/n by 1/i and repeat the argument, we $e^i = \lim_{n \to \infty} ((1 + \frac{i}{n})^n)$.