# Quadratic Algorithm 

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The seven parts were assigned $2,1,3,2,2,2,3,3$ for a total of 16 points.

Two observations:
The simplest answer to part six was to apply the algorithm to $(a x+b)(c x+$ $d)=a c x^{2}+(a c+b d) x+a b c d$ (since we only expect the algorithm to work when the polynomial is in such a form). But you have to be careful to see where you use the hypothesis that $a c, a c+b d$ and $a b c d$ are relatively prime.

Here is a simple proof of part 7. The roots of $a+b y+c y^{2}$ are the reciprocals of the roots of $a x^{+} b x+c$. (Divide the second equation by $x^{2}$ and replace $x$ by $1 / y$.) Applying the quadratic formula to $a+b y+c y^{2}$ gives the reciprocal of the answer asked for. We are done.

